## **CLAIMS**

5

20

25

1. A cryptographic method during which use is made of a random number generator producing random numbers  $S_i$  of size N fixed between 0 and W-1, in order to produce a random number R between 0 and a predefined limiter K, characterised in that:

E31: a random variable  $S_{\rm i}$  between 0 and W-1 is produced,

10 E32: if the random variable  $S_i$  is strictly less than a coefficient  $K_i$  of the limiter K in base W, then the coefficient  $R_i$  of rank i of the random number R is equal to the random variable  $S_i$  and then, for any rank J less than i, a random variable  $S_j$  between 0 and W-1 is produced and  $R_j = S_j$ ,

E33: otherwise, if the said random variable is greater than the coefficient  $K_i$  of rank i of the limiter K in base W, then the said coefficient  $R_i$  is determined from the random variable  $S_i$  of rank i according to a predetermined function, and then the coefficient  $R_{i-1}$  is determined for the random number R of rank i-1 that is immediately lower by repeating steps E31 to E33.

2. A method according to claim 2, during which the following steps are performed:

E1: the limiter K is decomposed in base  $(W^{p-1}, W^{p-2}, \dots, W^0)$  in the form  $K = \sum_{i=0}^{p-1} K_i * W^i$ , i being a loop index,  $K_i$  being a coefficient of the limiter K of rank i between 0 and W-1 and p being the degree of the limiter K,

E2: a Boolean variable f is initialised to TRUE,

E3: the following operations are performed, in a loop indexed by i, i being an integer varying between p-1 and 0:

E31: a random variable  $S_i$  between 0 and W0-1 is produced,

10

15

25

E32: if the random variable  $S_i$  is strictly less than the coefficient  $K_i$  of rank i, then the Boolean variable f is set to FALSE,

E33\_1: if the random variable  $S_i$  is strictly greater than the coefficient  $K_i$  of rank i and the Boolean variable f is TRUE, then the coefficient  $R_i$  of rank i is determined from the random variable  $S_i$  of rank i according to a predefined function,

E33\_2: otherwise  $R_i = S_i$ 

E34: the loop indexed i is decremented,

E4: the random number R is determined by recombination of the random coefficients  $R_i$  in base W according to the equation:  $R = \sum_{i=0}^{p-1} R_i * W^i$ .

3. A method according to claim 2, during which, in order to determine the coefficient  $R_i$  of rank i from the random variable  $S_i$  of rank i (steps E33\_1 and E33\_2), the following substeps are performed:

E33\_11: if the random variable  $S_i$  is strictly greater than the coefficient  $K_i$  of the limiter K, then a new random variable  $S_i$  is produced,

E33\_12: step E33\_11 is repeated until the random variable  $S_{\bf i}$  is less than the coefficient  $K_{\bf i}$  of the

limiter K, and then the coefficient  $R_{\bf i}$  is equalised to the random variable  $S_{\bf i}$ .

4. A method according to claim 2, during which the coefficient  $R_i$  of rank i is chosen (steps E33-1 and E33\_2) equal to the part of the random variable  $S_i$ , the part less than the coefficient  $K_i$ , the said part corresponding to a limited number of bits of the variable  $S_i$ .

5

25

- 5. A method according to claim 2, during which, in order to determine the coefficient  $R_i$  of rank i from the random variable  $S_i$  of rank i (step E33), the random variable  $S_i$  is reduced modulo  $K_i+1$ , the result of the reduction being the coefficient sought.
- 6. A method according to one of claims 1 to 5, during which, in order to determine the coefficient  $R_i$  of rank i from the random variable  $S_i$  of rank i (step E33), steps E1 to E4 are executed using a base ( $\beta^{q-1}$ , ...,  $\beta^0$ ) as the calculation base,  $\beta$  being an integer strictly less than W and q being the degree of k in case  $\beta$ .
  - 7. A method according to claim 6, in which step E33 is broken down into the following substeps:

E33\_41: the coefficient  $K_i$  of rank i of the limiter K in base  $(\beta^{q-1}, \ldots, \beta^0)$  in the form  $K_1 = \sum_{j=0}^{q-1} (K_i)_j * \beta^j \text{ , j being a loop index, } (K_i)_j \text{ being a number between 0 and } \beta\text{-1 and q being a degree of the}$ 

coefficient Ki, is decomposed,

E33\_42: a second Boolean variable g is initialised to TRUE,

E33\_43: the following operations are performed, in a loop indexed by j varying between q-1 and 0:

5

10

15

E33\_431: a random variable  $(S_i)_j$  between 0 and  $\beta$ -1 is produced,

E33\_432: if the random variable  $(S_i)_j$  is strictly less than the coefficient  $(K_i)_j$ , then the second Boolean variable g is set to FALSE,

E33\_4331: if the random variable  $(S_i)_j$  is strictly greater than the coefficient  $(K_i)_j$  and the second Boolean variable g is TRUE, then a coefficient  $(R_i)_j$  is determined from the random variable  $(S_i)_j$  according to a predefined function,

E33\_4332: otherwise,  $(R_i)_j = (S_i)_j$ 

E33 434: the loop indexed j is decremented,

E33\_44: the random number R<sub>i</sub> is determined by recombination of the random coefficients  $(R_i)_j$  in base  $\beta$  according to the equation:  $R_1 = \sum_{j=0}^{q-1} (R_i)_j * \beta^j$ .

8. An electronic component comprising a generator of random numbers of size N, calculation circuits performing in particular a comparison, a truncation and/or a modular reduction on numbers of no more than N bits, and a means of controlling the random number generator and calculation circuits, the said control means being adapted for implementing a method according to one of claims 1 to 7.

9. A chip card comprising an electronic component according to the preceding claim.